

# Welcome to the ASTR 105G Lab!

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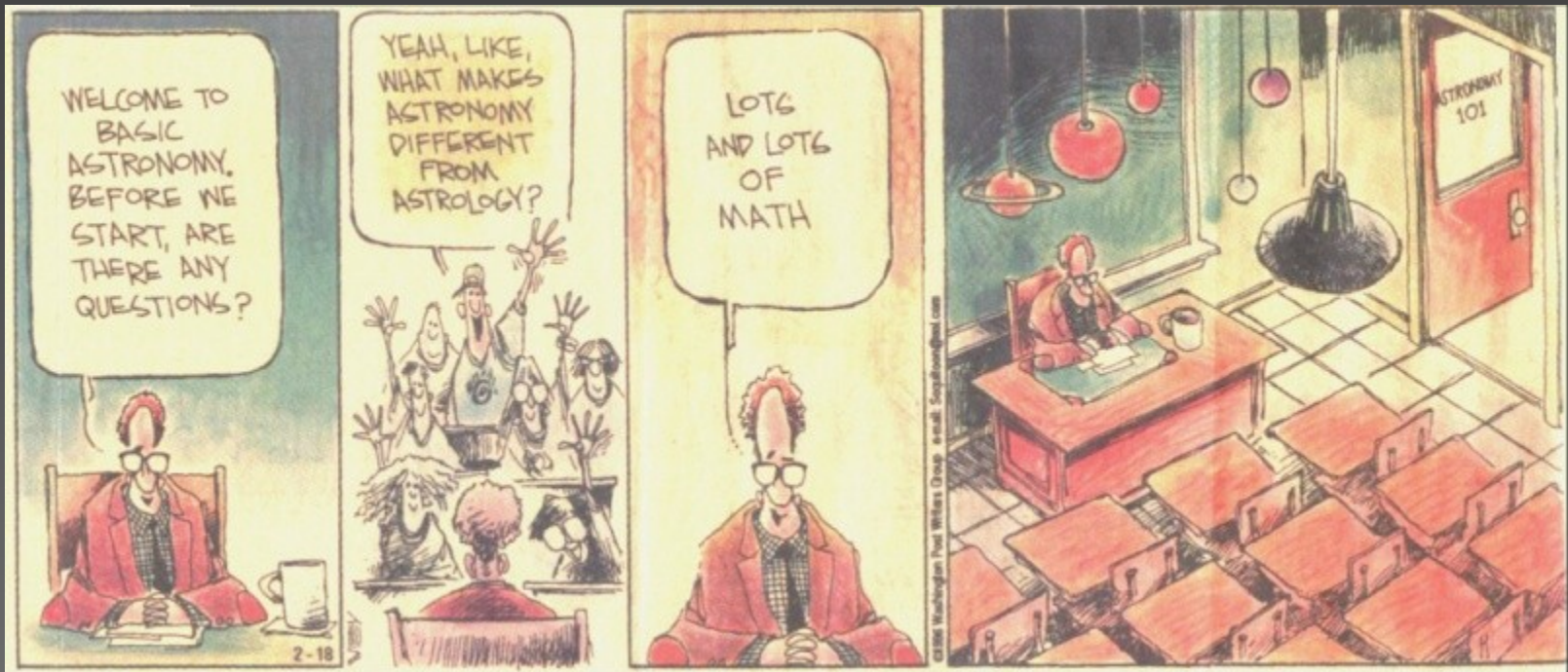
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\*All Class Notes are available at\*

<http://astronomy.nmsu.edu/mcclarey/astr105.html>

# Lab #1: Tools for Success a/k/a “The Math Lab”



😊 Don't Panic 😊

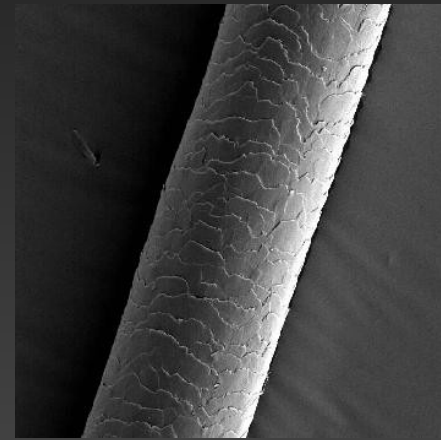
# The Metric System

In astronomy (and in life) we encounter things that cover many different size scales:

- The width of a human hair
- The distance to Boston
- The length of the Milky Way
- The metric system provides a standard way of describing all of these...

Width of a human hair:

$$0.00015 \text{ m} = 150 \mu\text{m}$$

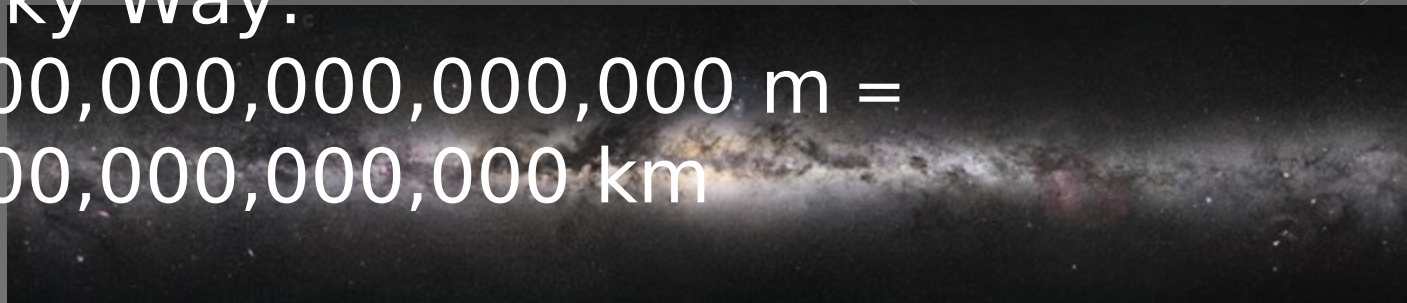


Distance to Boston:

$$4,000,000 \text{ m} = 4000 \text{ km}$$

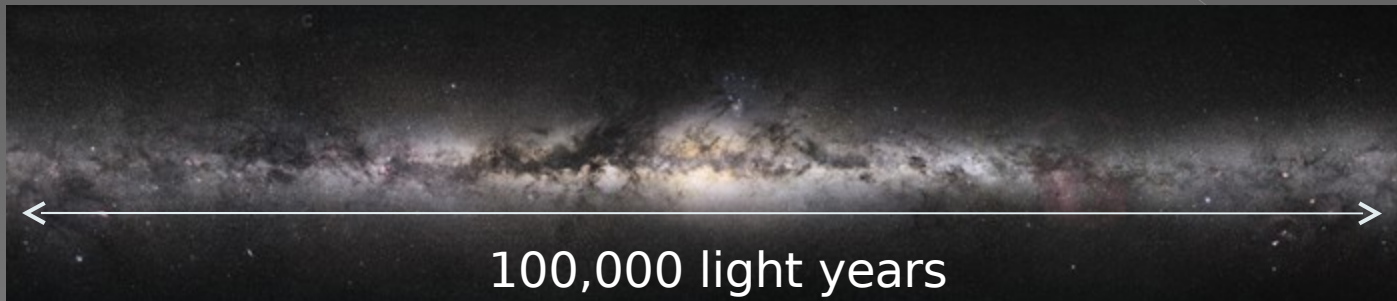
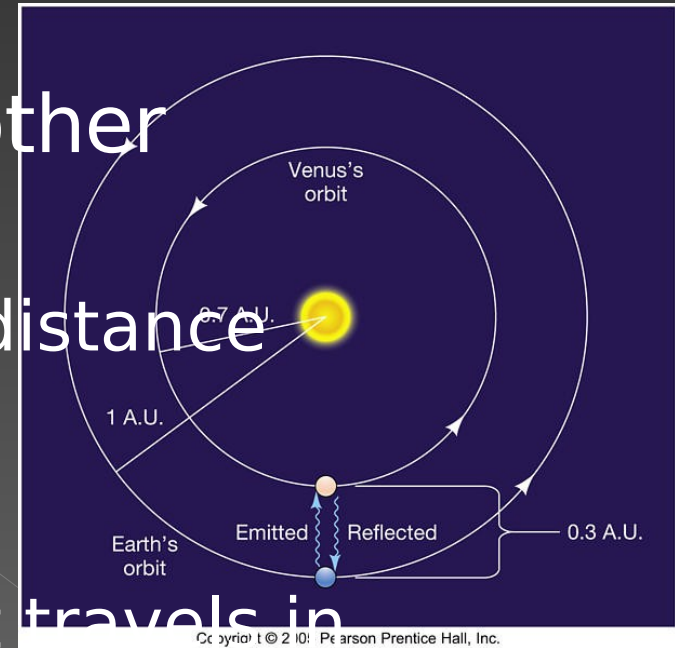
Length of Milky Way:

$$950,000,000,000,000,000,000 \text{ m} =$$
$$950,000,000,000,000,000 \text{ km}$$



# When the Metric System Just Isn't Good Enough...

- In astronomy, we also use other distance scales:
  - > The Astronomical Unit (AU): distance between Earth and Sun
  - > The Light Year: distance light travels in one year



# Unit Conversions

**In the metric system, we can easily convert from one scale to another:**

The distance to the Moon is 384,000,000 m.  
What is it in kilometers?

$$1 \text{ km} = 1000 \text{ m}$$

$$384,000,000 \text{ m} = 384,000 \text{ km}$$



# The Factor Label Method

- Because unit conversions can be tricky, we can express units as a series of factors

- For example, what is 73 mph in m/s?

$$73 \frac{\cancel{\text{miles}}}{\cancel{\text{hour}}} = \left( \frac{1 \cancel{\text{ km}}}{0.621 \cancel{\text{ mile}}} \right) \left( \frac{1000 \text{ m}}{1 \cancel{\text{ km}}} \right) \left( \frac{1 \cancel{\text{ hour}}}{3600 \text{ s}} \right) = 33 \text{ m/s}$$

- WRITE THIS OUT EVERY TIME until you are comfortable with unit conversions

# CHECK YOUR FREAKING UNITS

Before submitting an answer, ask yourself:

- 1) Did I write the units?
- 2) Do the units make sense?

# Exponents!

Exponents are really just a shorthand way of expressing a number:

$$5^4 = 5 \times 5 \times 5 \times 5 = 625$$

And the “square” of a number is just that number multiplied by itself:

$$3^2 = 3 \times 3 = 9$$

# Scientific Notation: Because Scientists are Lazy

- Scientific Notation is another timesaver, this time a way of writing a number with lots of zeros:



$$950,000,000,000,000,000 \text{ km} = 9.5 \times 10^{17} \text{ km}$$

$$0.00015 \text{ m} = 150 \mu\text{m} = 1.5 \times 10^{-4} \text{ m}$$

- All we have to do to express a long number in scientific notation is count how many times we move the decimal point to the first non-zero number, and write " $\times 10^{\text{—}}$ ".
- If we move the decimal point to the left, the blank is a positive number. If we move the decimal point to the right, it's a negative number.